College of Staten Island, City University of New York (CUNY)

Math 233 (Section 15391): Fall 2018 Syllabus

Analytic Geometry and Calculus III

Instructor: Joseph Maher

Office: 1S-222

Phone: (718) 982-3623

Email: joseph.maher@csi.cuny.edu

Office hours: M12:20-1:10 M1:25-2:15 W1:25-2:15

Course location: MW 2:30-4:25

Textbook: Rogawski and Adams, Calculus, Early Transcendentals, 3rd edition, W.H. Free-

man

ISBN: 978-1-4641-1488-5

Grading policy: 10% Homework and attendance

50% Midterms

40% Final

Additional info:

Disability policy: Qualified students with disabilities will be provided reasonable academic accom-

modations if determined eligible by the Office for Disability Services. Prior to granting disability accommodations in this course, the instructor must receive written verification of student's eligibility from the Office of Disability Services, which is located in 1P-101. It is the student's responsibility to initiate contact with the Office for Disability Services staff and to follow the established procedures for having the accommodation notice sent to the instructor.

Integrity policy: CUNY's Academic Integrity Policy is available online at

http://www.cuny.edu/about/info/policies/academic-integrity.pdf

THE COLLEGE OF STATEN ISLAND, CUNY DEPARTMENT OF MATHEMATICS

MATH 233 – CALCULUS III COURSE OUTLINE

Text: Rogawski-Adams, <u>Calculus – Early Transcendentals</u>, <u>Third Edition</u> W. H. Freeman & Co. (2015). ISBN# 978-1464114885

Note: Below, each lesson corresponds to a one-hour class. Homework problems in **bold** correspond to similar WeBWorK problems, which must be submitted online. Students are also required to complete four MATLAB projects listed below, which can be obtained in PDF at www.lulu.com with search term "csi math".

Lesson	Section	Topic	Homework Problems
1	12.1	Vectors in the plane	39, 46, 48, 54, 57
2	12.2	Vectors in three dimensions	13, 29, 43, 53
3	12.3	Dot product	20, 41, 50, 55, 61, 68, 78
4	12.4	Cross product	11, 15, 20, 23, 43
5	12.4	Cross product	
6	12.5	Planes in three-space	3, 15, 19, 21, 39
7	12.5	Planes in three-space	
8	12.6	Quadric surfaces	7, 15, 17, 21, 39, 41 , 42 MATLAB Project 1
9	13.1	Vector-valued functions	18, 23, 31, 32, 34, 37, 39
10	13.2	Calculus of vector-valued functions	10, 13, 17, 24, 25, 41, 43, 46, 50, 56
11	13.3	Arc length and speed	1, 3, 10, 14, 28, 29, 32, 33
12	13.3	Arc length and speed	MATLAB Project 2
13	14.1	Functions of several variables	1, 3 , 6, 7 , 9, 19, 20 , 21, 39
14	14.2	Limits and continuity in several variables	1 , 5, 7 , 8 , 20, 29 , 33 , 38
15	14.3	Partial derivatives	3 , 17 , 20 , 22, 23, 25 , 42 , 50 , 57 , 67
16	14.3	Partial derivatives	
17	14.4	Differentiability and tangent planes	7, 10, 11, 16, 17, 18, 21, 29, 35, 39 MATLAB Project 3
18	14.4	Differentiability and tangent planes	
19	14.5	Gradient and directional derivatives	1, 5, 7, 23, 25, 35, 38
20	14.5	Gradient and directional derivatives	
21		Review	
22		Exam 1	
23		Exam 1	
24	14.6	Chain rule in several variables	1, 2, 5, 9 , 18, 27, 28, 31, 32 , 35, 36
25	14.6	Chain rule in several variables	
26	14.7	Optimization in several variables	4, 7, 16, 21, 28, 32, 37, 40, 48
27	14.7	Optimization in several variables	
28	14.8	Lagrange multipliers	5, 11, 17, 19, 23, 25, 36, 47
29	14.8	Lagrange multipliers	
30	15.1	Integration in several variables	1, 7, 19, 29, 37, 40, 42, 44, 47, 48

31	15.1	Integration in several variables	
32	15.2	Double integrals over general regions	1, 7, 17, 22, 29, 32, 35, 38, 44, 46
33	15.2	Double integrals over general regions	MATLAB Project 4
34	15.3	Triple integrals	6, 16, 17, 20, 23, 27, 33, 39
35	15.3	Triple integrals	
36	12.7	Cylindrical and spherical coordinates	1, 7, 27, 31, 34, 40, 52, 67
37	15.4	Integration in polar, cylindrical coordinates	3, 9, 17, 21, 23, 27, 37, 45, 47
38	15.4	Integration in spherical coordinates	
39	16.1	Vector fields	3, 15, 41, 44, 46, 48, 50
40	16.2	Line integrals	1, 5, 9, 15, 21, 27, 34, 37, 41
41	16.3	Conservative vector fields	3, 9, 11, 12, 13, 17, 23, 25, 29
42		Review	
43		Exam 2	
44		Exam 2	
44 45	16.4	Exam 2 Parametrized surfaces	2, 3, 7, 19, 23, 25, 29, 34, 37
	16.4 16.4		2, 3, 7, 19, 23, 25, 29, 34, 37
45		Parametrized surfaces	2, 3, 7, 19, 23, 25, 29, 34, 37 3, 7, 11, 15, 17, 23, 30
45 46	16.4	Parametrized surfaces Surface integrals and surface area	
45 46 47	16.4 16.5	Parametrized surfaces Surface integrals and surface area Surface integrals of vector fields	
45 46 47 48	16.4 16.5 16.5	Parametrized surfaces Surface integrals and surface area Surface integrals of vector fields Surface integrals of vector fields	3, 7, 11, 15, 17, 23, 30
45 46 47 48 49	16.4 16.5 16.5 17.1	Parametrized surfaces Surface integrals and surface area Surface integrals of vector fields Surface integrals of vector fields Green's Theorem	3, 7, 11, 15, 17, 23, 30
45 46 47 48 49 50	16.4 16.5 16.5 17.1 17.1	Parametrized surfaces Surface integrals and surface area Surface integrals of vector fields Surface integrals of vector fields Green's Theorem Green's Theorem	3, 7, 11, 15, 17, 23, 30 3, 7, 9, 12, 13, 14, 25, 32, 37
45 46 47 48 49 50 51	16.4 16.5 16.5 17.1 17.1 17.2	Parametrized surfaces Surface integrals and surface area Surface integrals of vector fields Surface integrals of vector fields Green's Theorem Green's Theorem Stokes' Theorem	3, 7, 11, 15, 17, 23, 30 3, 7, 9, 12, 13, 14, 25, 32, 37
45 46 47 48 49 50 51 52	16.4 16.5 16.5 17.1 17.1 17.2 17.2	Parametrized surfaces Surface integrals and surface area Surface integrals of vector fields Surface integrals of vector fields Green's Theorem Green's Theorem Stokes' Theorem Stokes' Theorem	3, 7, 11, 15, 17, 23, 30 3, 7, 9, 12, 13, 14, 25, 32, 37 1, 3, 17, 20, 21, 22, 24, 25, 27
45 46 47 48 49 50 51 52 53	16.4 16.5 16.5 17.1 17.1 17.2 17.2 17.3	Parametrized surfaces Surface integrals and surface area Surface integrals of vector fields Surface integrals of vector fields Green's Theorem Green's Theorem Stokes' Theorem Stokes' Theorem Divergence Theorem	3, 7, 11, 15, 17, 23, 30 3, 7, 9, 12, 13, 14, 25, 32, 37 1, 3, 17, 20, 21, 22, 24, 25, 27

ROLE IN CURRICULUM

MTH 233 is the third course of a three-semester sequence in calculus.

LEARNING GOALS AND ASSESSMENT PLAN

Learning Goal	Assessment
Differentiate and integrate functions of	NA
several variables.	
Understand the geometric meaning of	NA
differentiation for functions of several	
variables.	
Apply Stokes' Theorem to solve related	NA
problems.	
	NA

When assessment activities are done, the results will be summarized in memorandum form and filed with the department chairperson for record keeping purposes.

Information obtained from assessment will be used to assess and self-reflect on the success of the course and to make any necessary changes to improve teaching and learning effectiveness.

Undergraduate Catalog Course Description

College of Staten Island

Course prefix:	MTH
Course number:	233
Course title:	Analytic Geometry and Calculus III
Subject	Mathematics
Minimum credits:	3.0
Maximum credits:	3.0
Hours per week:	4.0
Course description:	The third of a three-semester sequence
	in calculus. Topics include vectors,
	solid analytic geometry, partial deriva-
	tives, multiple integrals with applica-
	tions.
Prerequisite:	MTH 232. MTH 229 or permission of
	the department.
Comments:	MTH 229 or permission of the depart-
	ment.